

$$\frac{\pi \cup \{T \subset U\} \vdash^* T \subset U}{\pi \vdash T \subset U}$$

$$\frac{(T \subset U) \in \pi}{\pi \vdash T \subset U}$$

$$\pi \vdash^* \emptyset \subset T$$

$$\pi \vdash^* \epsilon \subset (\epsilon \in T)$$

$$\frac{\pi \vdash^* T \subset U \quad \text{and} \quad \pi \vdash^* T' \subset U}{\pi \vdash^* (T \cup T') \subset U}$$

$$\frac{\pi \vdash^* \ell(x, x') \subset \mathbb{R}}{\pi \vdash^* \ell(x, x') \subset (\epsilon \in \mathbb{R})}$$

$$\frac{\ell \neq \ell' \text{ and } \pi \vdash^* \ell(x, x') \subset \mathbb{R}}{\pi \vdash^* \ell(x, x') \subset (\ell(y, y') \in \mathbb{R})}$$

$$\left(\begin{array}{l} \pi \vdash M(x) \subset \{_{i \in \overline{I}_n} M(y_i) \\ \text{or} \\ \pi \vdash M(x') \subset \{_{i \in \overline{I}_n} M(y'_i) \end{array} \right)$$

... and ...

$$\left(\begin{array}{l} \pi \vdash M(x) \subset \{_{i \in \overline{I}_{2^n}} M(y_i) \\ \text{or} \\ \pi \vdash M(x') \subset \{_{i \in \overline{I}_{2^n}} M(y'_i) \end{array} \right)$$

$$\pi \vdash^* \ell(x, x') \subset (\ell(y_1, y'_1) \mid \dots \mid \ell(y_n, y'_n))$$